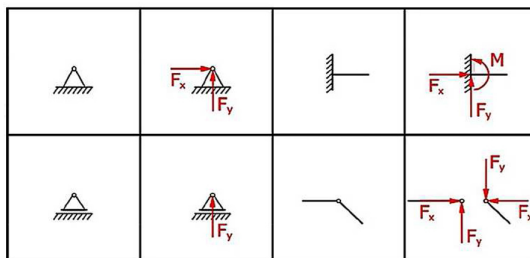
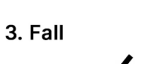
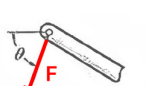
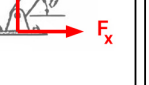
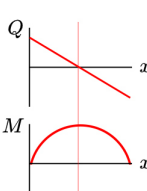


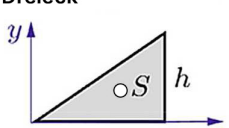
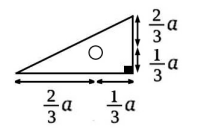
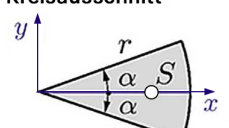
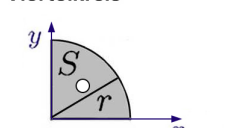
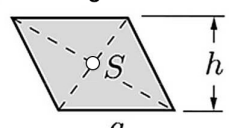
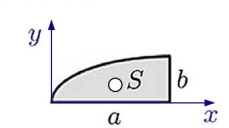
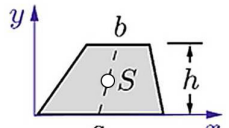
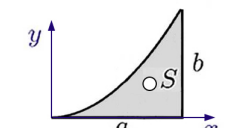
$$\sin(\theta) = \frac{O}{H}$$

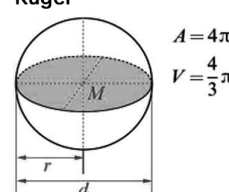
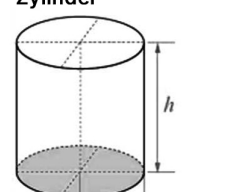
$$\cos(\theta) = \frac{A}{H}$$

$$\tan(\theta) = \frac{O}{A}$$



Fachwerk Nullstäbe	(1) Seil	(2) Pendelstütze	(3) Rollenlager	(4) Pendelstützlager	(5) Glatte Fläche	(6) Schiebehülse	(7) Festlager	(8) Einspannung	Schnittgrößen Skizze
1. Fall  2. Fall  3. Fall  ZUG DRUCK	 	 	 	 	 	 	 	 	M^+ N^+ Q^+ $Q = \text{Konstant}$ $M = \text{Linear}$ $Q = \text{Linear}$ $M = \text{Quadratisch}$ 

Dreieck  $A = \frac{1}{2}ah$ $x_s = \frac{2}{3}a$ $y_s = \frac{1}{3}h$	 $A = \frac{1}{2}ah$ $x_s = \frac{2}{3}a$ $y_s = \frac{1}{3}h$	Kreisausschnitt  $A = \alpha r^2$ $x_s = \frac{2r}{3} \frac{\sin \alpha}{\alpha}$	Viertelkreis  $A = \frac{\pi r^2}{4}$ $x_s = \frac{4r}{3\pi}$ $y_s = \frac{4r}{3\pi}$	Parallelogramm  $A = ah$ S liegt im Schnittpunkt der Diagonalen	Parabel  quadratische Parabel $A = \frac{2}{3}ab$ $x_s = \frac{3}{8}a$ $y_s = \frac{3}{8}b$	Trapez  $A = \frac{h}{2}(a+b)$ S liegt auf der Seitenhalbierenden $y_s = \frac{h}{3} \frac{a+2b}{a+b}$	Unbekannte Parabel  $A = \frac{1}{(n+1)}bh$ $x_s = \frac{n+1}{n+2}b$ $y_s = \frac{n+1}{4n+2}h$ $y = x^n$
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Volumen $V = A \cdot d$ $A = \text{Fläche [m}^2\text{]}, d = \text{Dicke [m]}$	Flächenschwerpunkt $x_s = \frac{\sum \bar{x}_i \cdot A_i}{\sum A_i}$ $y_s = \frac{\sum \bar{y}_i \cdot A_i}{\sum A_i}$
Kugel  $A = 4\pi r^2$ $V = \frac{4}{3}\pi r^3$	Streckenlast Kraft $F_q = q \cdot l$ $q = \text{Streckenlast}$ $l = \text{Gesamt Länge}$
Zylinder  $V = \pi r^2 h$ $A = 2\pi r h$	Dichte $\rho = \frac{m}{V}$ $m = \text{Masse}$ $V = \text{Volumen}$
Kräfte Zerlegung(x) $F_x = F \cdot \cos \alpha$ $F_y = F \cdot \sin \alpha$ winkel mit x - achse	Kräfte Zerlegung(y) $F_x = F \cdot \sin \alpha$ $F_y = F \cdot \cos \alpha$ winkel mit y - achse